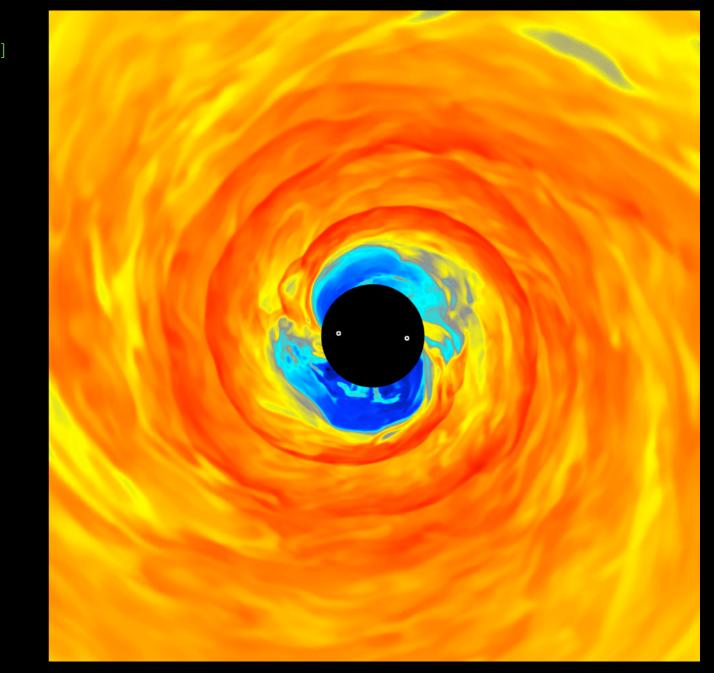
3-D GRMHD Simulations of Accreting Binary Black Holes

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Based on:

- Noble++2012
- Zilhao & Noble 2014
- Zilhao++2015 (in press, PRD)
- Noble++in-prep



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"Black Holes in Dense Star Clusters" — Aspen — Winter — 2015

Motivation

Rare Events

Degeneracy of Interpretations

More Data (Pan-STARRS, LSST, ZST, PST...)

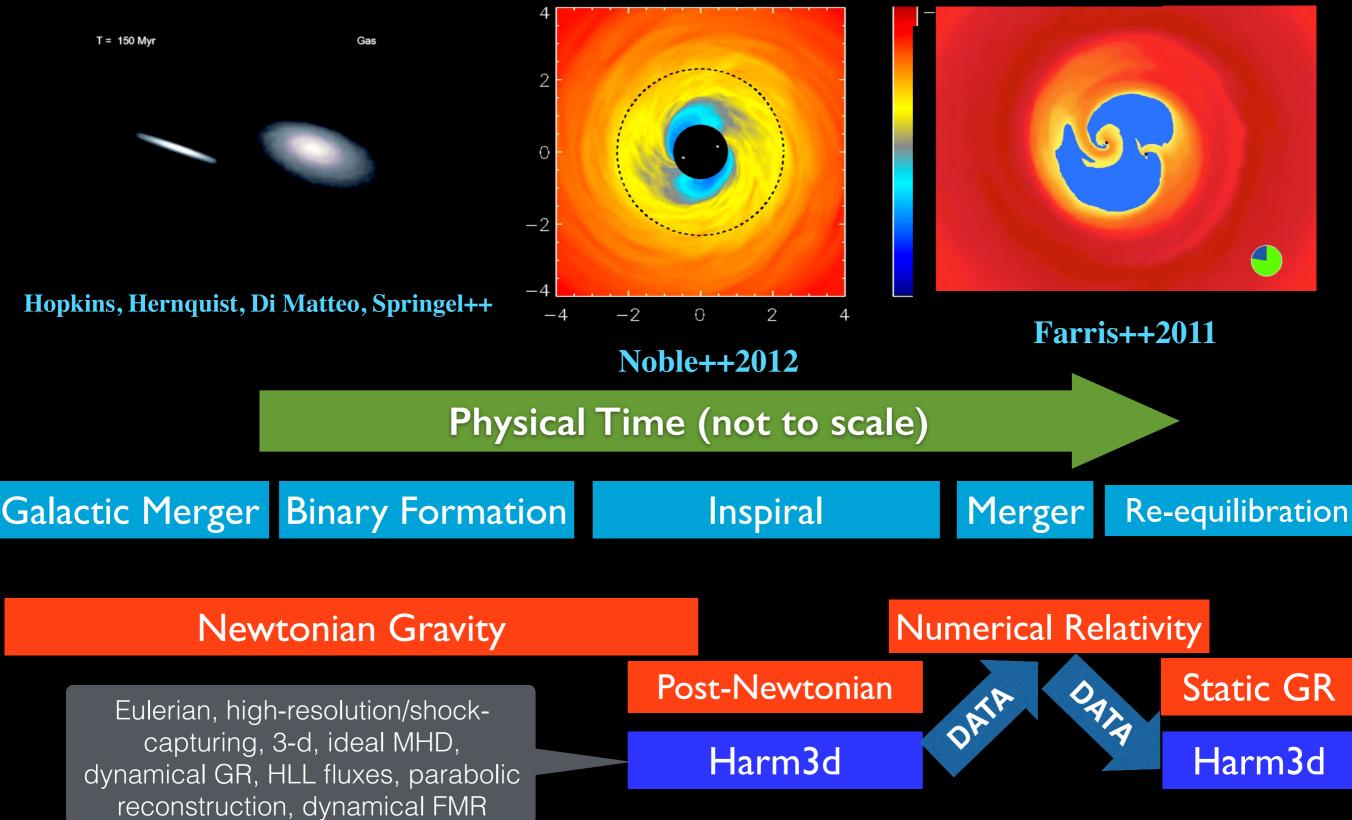
Better Models +MHD +3-d +GR +Radiation Cooling +Radiation Feedback

Motivation

- MHD turbulence = Ang. Mom. transporter;
- Field dissipation and growth cannot be modeled w/ 2-d hydro;
- Vertical, 3-d structure can only include dynamics of buoyancy;
- Cowling's Thm: no sustained turbulence in 2-d;
- Post-Newtonian (PN) accuracy required for binary separations below ~100M;
- Necessary to self-consistently include binary inspiral from GW loss rate;
 - We know that significant mass can follow binary through much of this period (Noble++2012);
- Cooling required to regulate vertical thickness;
- Cooling provides a way to include more realistic thermodynamics consistent with its luminosity predictions;
 - No longer have to rely on L ~ Mdot ;
- Eventually radiation feedback important in regions of non-smooth optical depths (e.g., "gap")

Better Models +MHD +3-d +GR +Radiation Cooling +Radiation Feedback

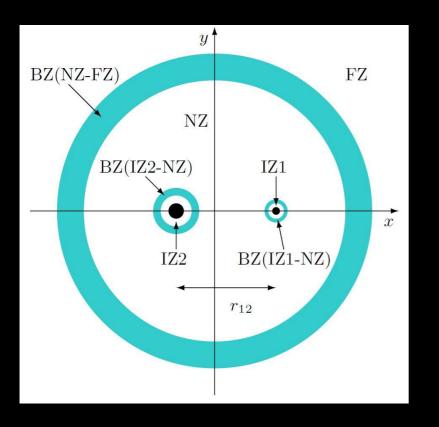
Strategy



Approximate Two Black Hole Spacetimes

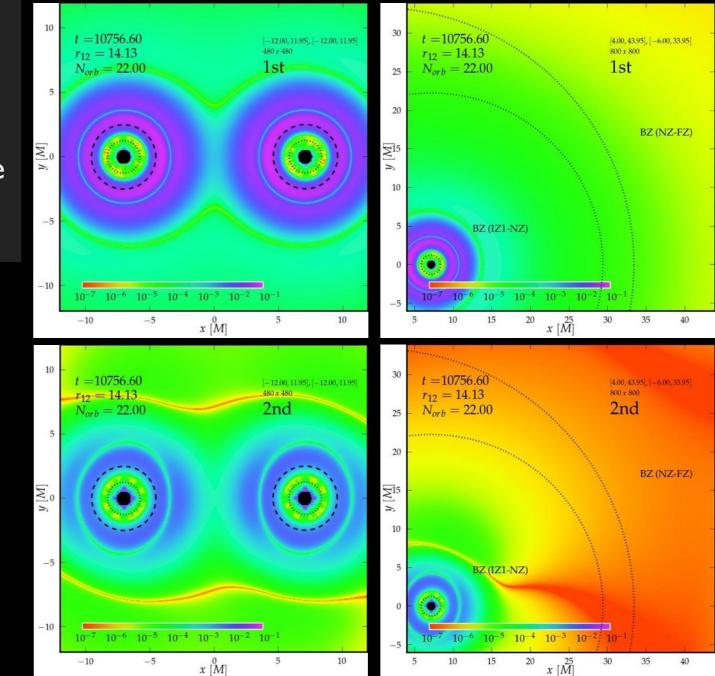
Yunes++2006, Noble++2012, Mundim++2014

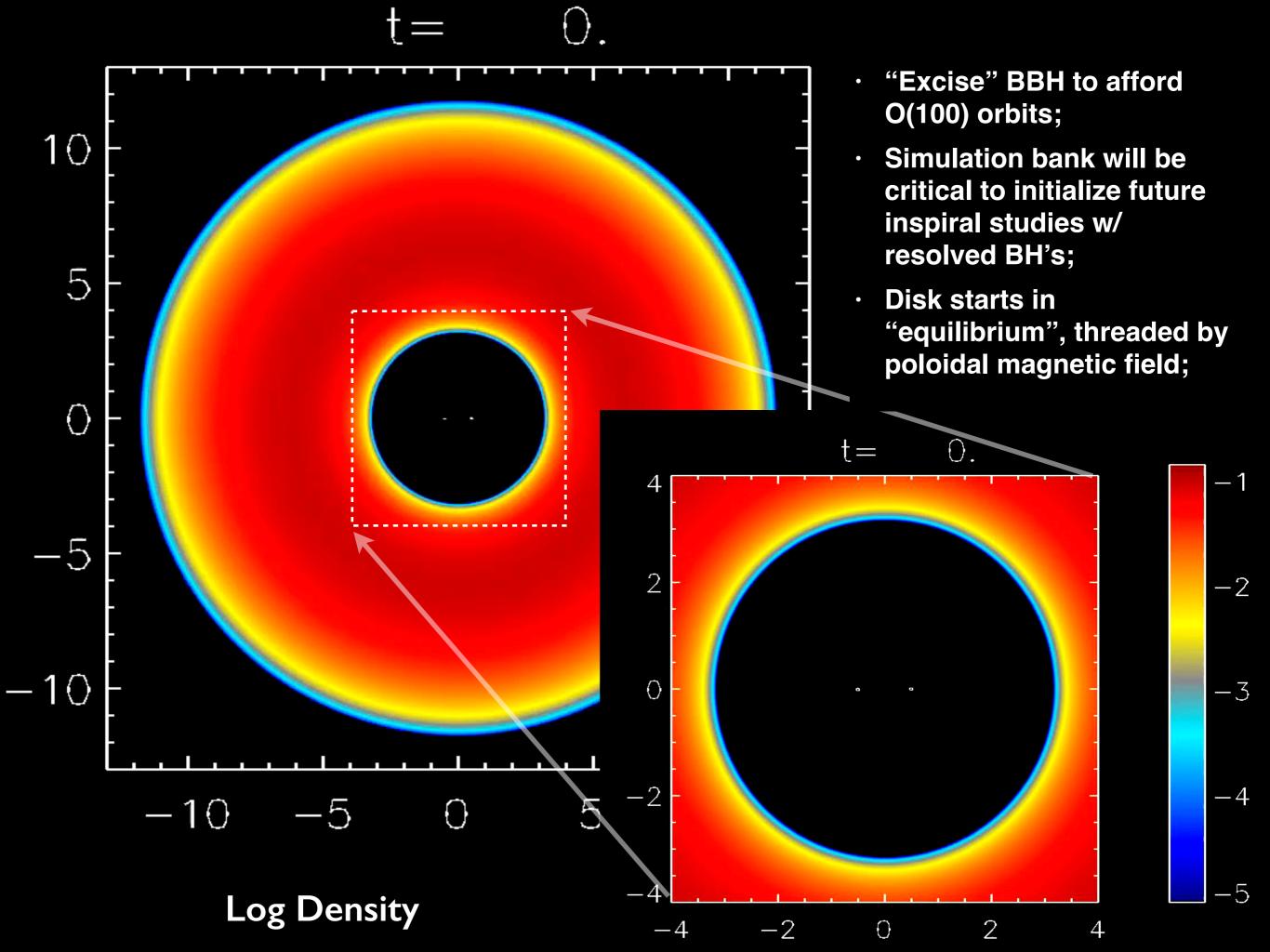
- Solve Einstein's Equations approximately, perturbatively to orders of 2.5 Post-Newtonian order;
- Used as initial data of Numerical Relativity simulations;
- Black hole orbits include radiation-reaction terms;
- BH event horizons are included!
- Closed-form expressions allow us to discretize the spatial domain best for accurate matter solutions and is much simpler to implement;



$$\epsilon_i = m_i/r_i \sim (v_i/c)^2$$

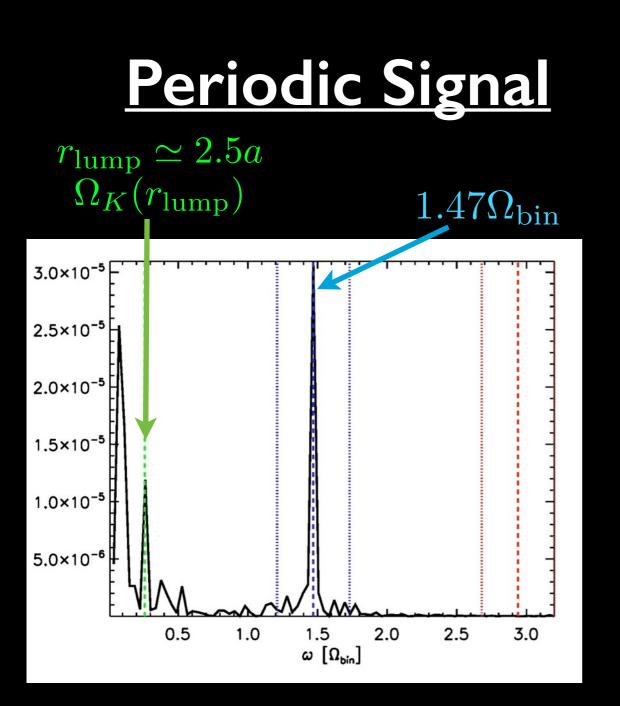
Ricci Scalar -> 0





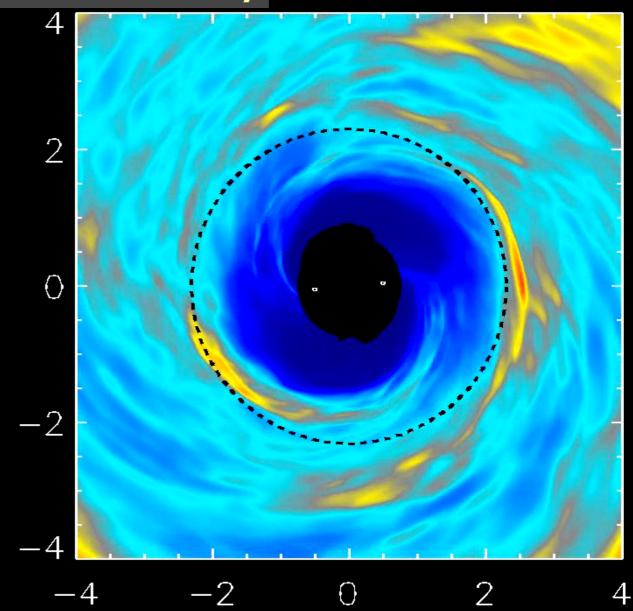
MHD Simulations with Unresolved BHs:

Noble++2012



 $\omega_{\text{peak}} = 2 \left(\Omega_{\text{bin}} - \Omega_{\text{lump}} \right)$

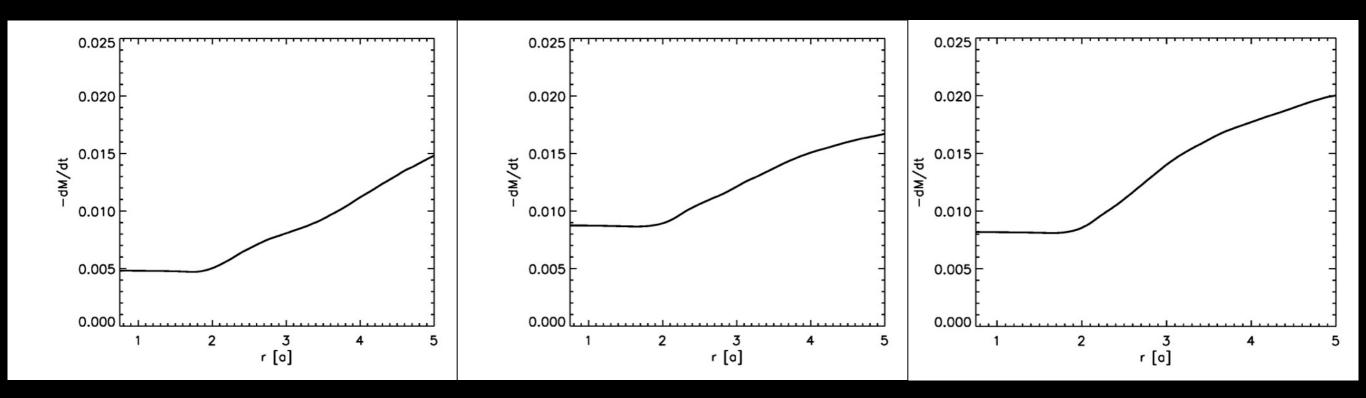
Surface Density 1=34950.



Accuracy of Gravity Model

- Turn off highest order PN terms in metric and use the "same" matter initial data;
- Initial Data = Pressure+Rotation Equilibrium;
 - —> Disk = Disk(g_{ab})
 - $\longrightarrow \text{Disk}(g_{ab}[2PN]) != \text{Disk}(g_{ab}[1PN])$
- Use two strategies for 1PN disk:
 - Disk1: Use same orbital parameters as 2PN disk, though it has different H/R;
 - Disk2: Use *different* orbital parameters as 2PN disk, so that disk has *same* H/R;

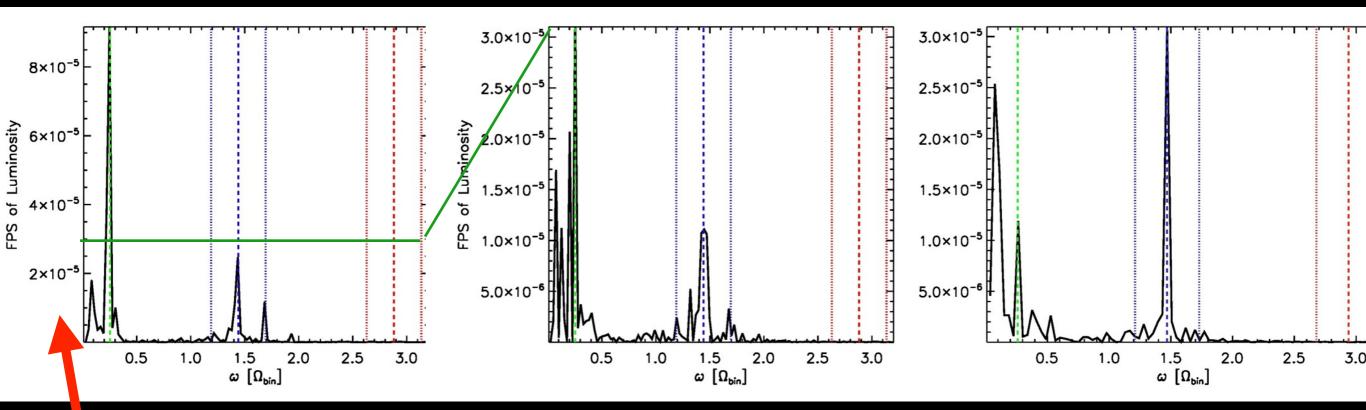
Variabality vs. Post-Newtonian Accuracy:I.5PNI.5PN(Disk1)(Disk2)(Original)



Less accurate metrics result in:

Fraction of accretion rate through "gap" is approximately the same;
All other runs we have done also show significant "leakage" rates;

Variabality vs. Post-Newtonian Accuracy:I.5PNI.5PN(Disk1)(Disk2)(Disk1)(Disk2)

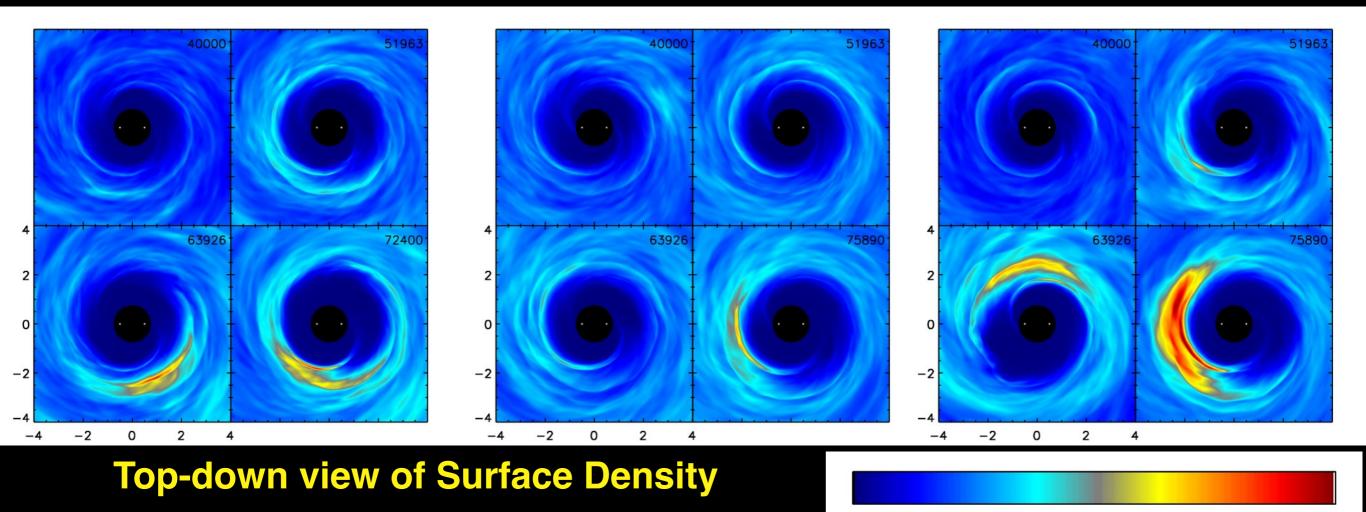


Apologies for mismatched scales!

Less accurate metrics result in:

- •Stronger variability at lump's orbital frequency;
- •Power at beat frequency spread to larger range of frequencies;
- More complex lump/binary modulation;

Variabality vs. Post-Newtonian Accuracy:I.5PNI.5PN(Disk1)(Disk2)(Original)



0.0

0.2

0.4

0.6

0.8

1.0

Less accurate metrics result in:

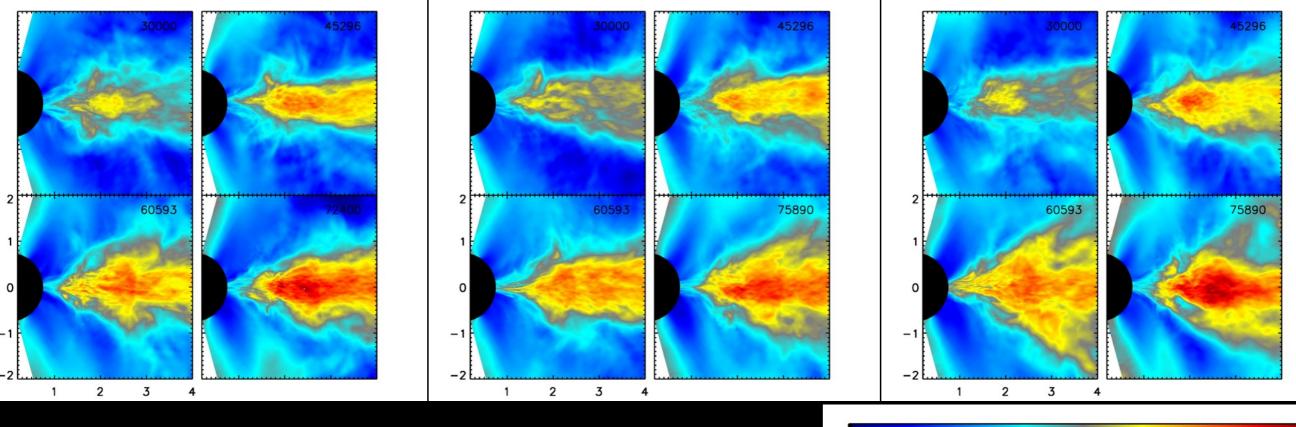
- •Slightly weaker m=1 mode or over-density feature;
- •Likely explains the increased power at the binary's orbital frequency;

Zilhao++2015

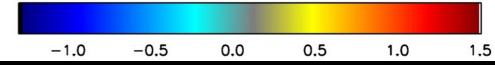
1.2

1.4

Variabality vs. Post-Newtonian Accuracy:I.5PNI.5PN(Disk1)(Disk2)(Disk1)(Disk2)



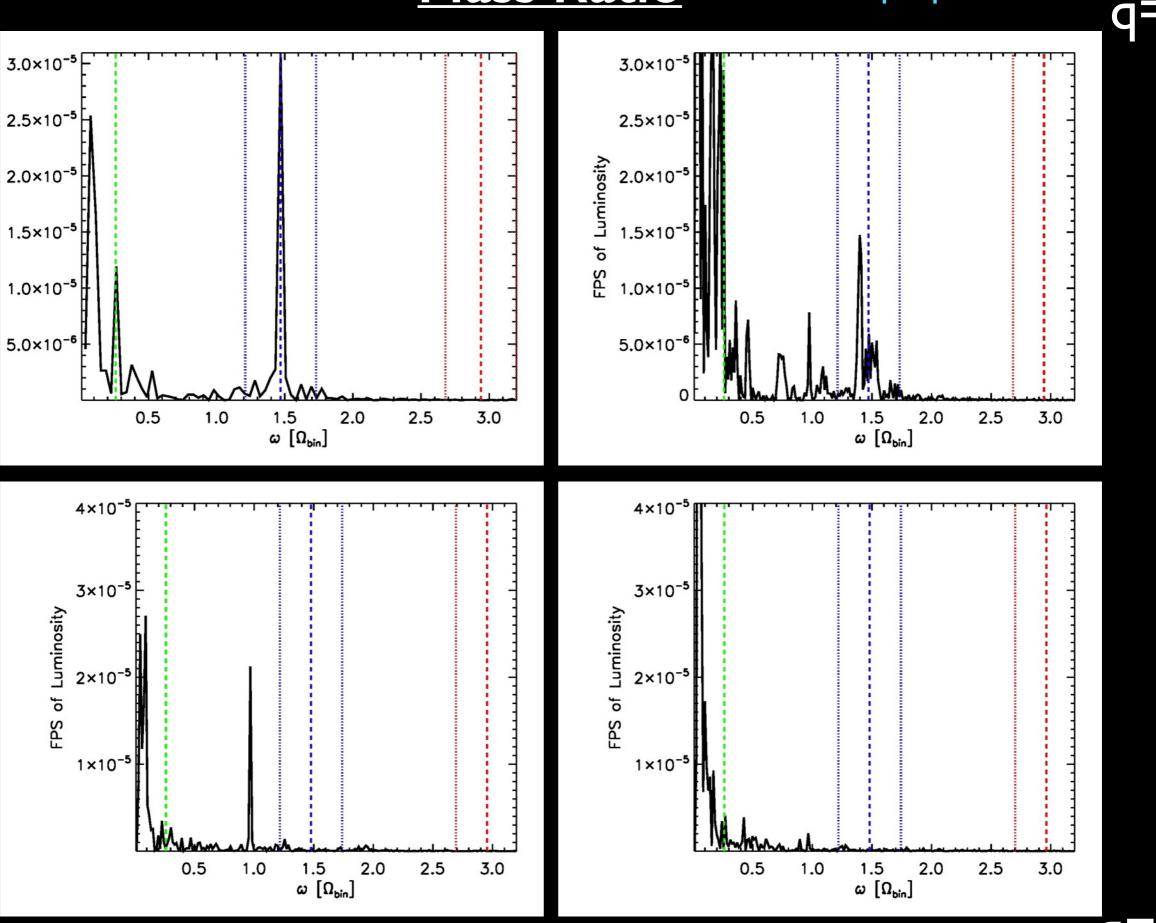
Side view of $Beta = P_{gas} / P_{mag}$



Less accurate metrics result in:

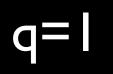
- •Slightly less loss of magnetization;
- Possibly due to weaker torque, less dissipation of field from flung out material;
 Weak torques from "weaker" quadrupole potential;
- •Note thicker disk leads to less loss of magnetization;

Mass Ratio Noble++in-prep



q=5

01=p



-2

q=5

-4

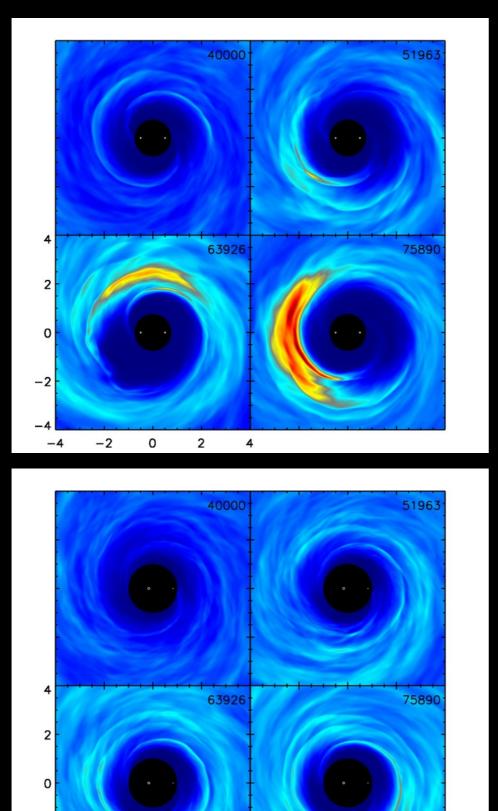
0

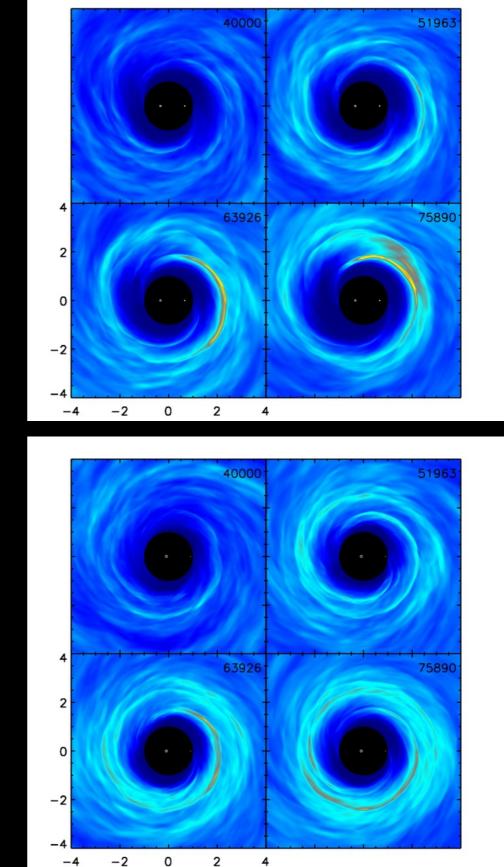
-2

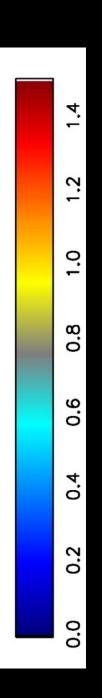
2

Mass Ratio Noble++in-prep





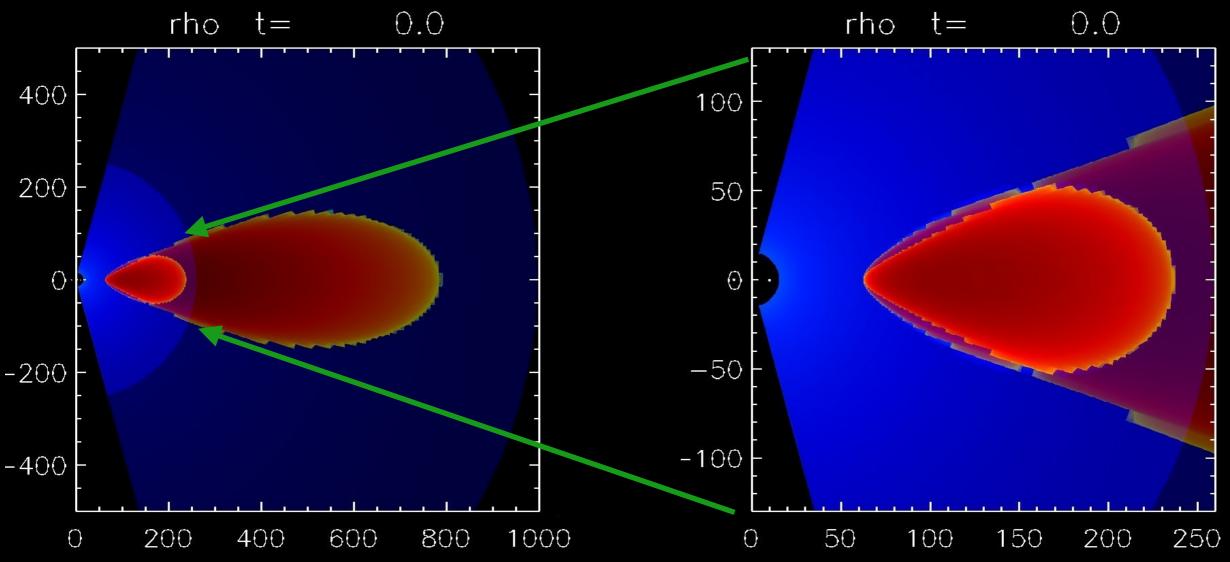




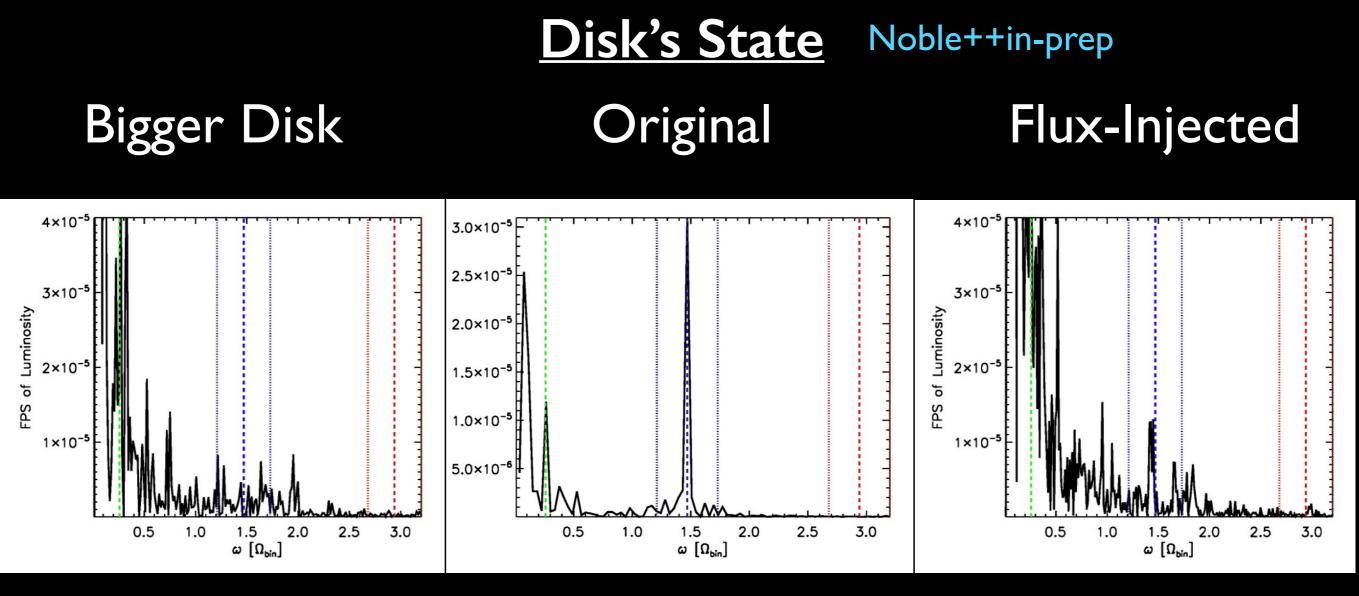
q=10

Top-down view of Surface Density

Disk's State Noble++in-prep



- Bigger disk:
 - "Center" moved from 5a to ~6a;
 - Large extent increases reservoir of magnetic flux and mass;
- Injected flux:
 - Magnetic flux from t=0 added late-time snapshot of original run;
 - Increases local magnetic energy density by only a few percent;



Again, please note different scales

More magnetic flux led to:

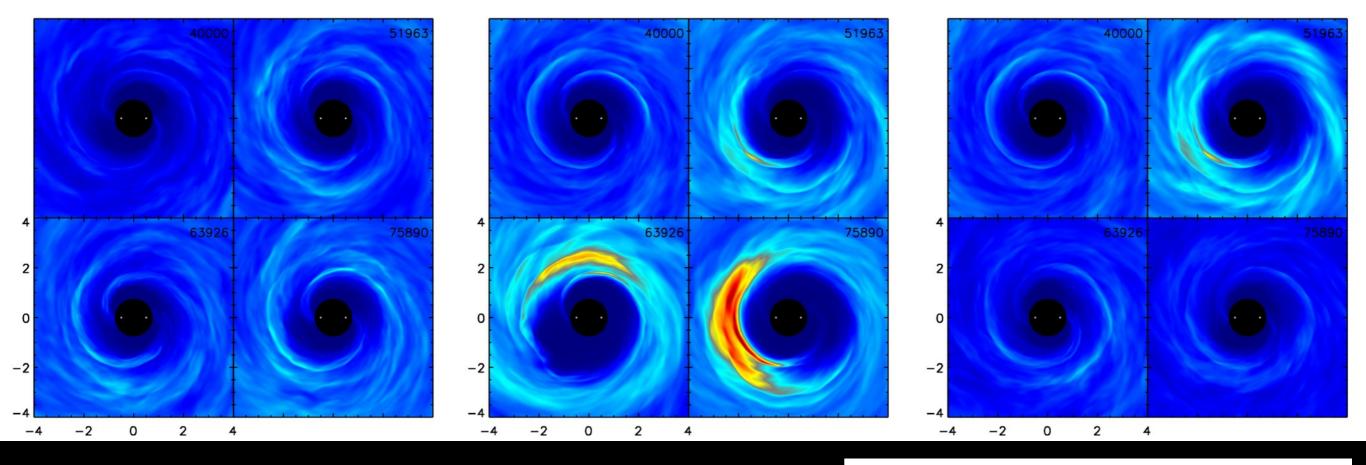
- •Less coherent temporal power spectrum;
- •Spectra resembling more a slightly bent power law;
- Spectra resembling more spectra from simulations of single black hole disks;
 Is there no over-density?

Disk's State Noble++in-prep

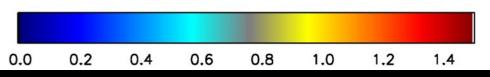
Bigger Disk

Original

Flux-Injected



Top-down view of Surface Density



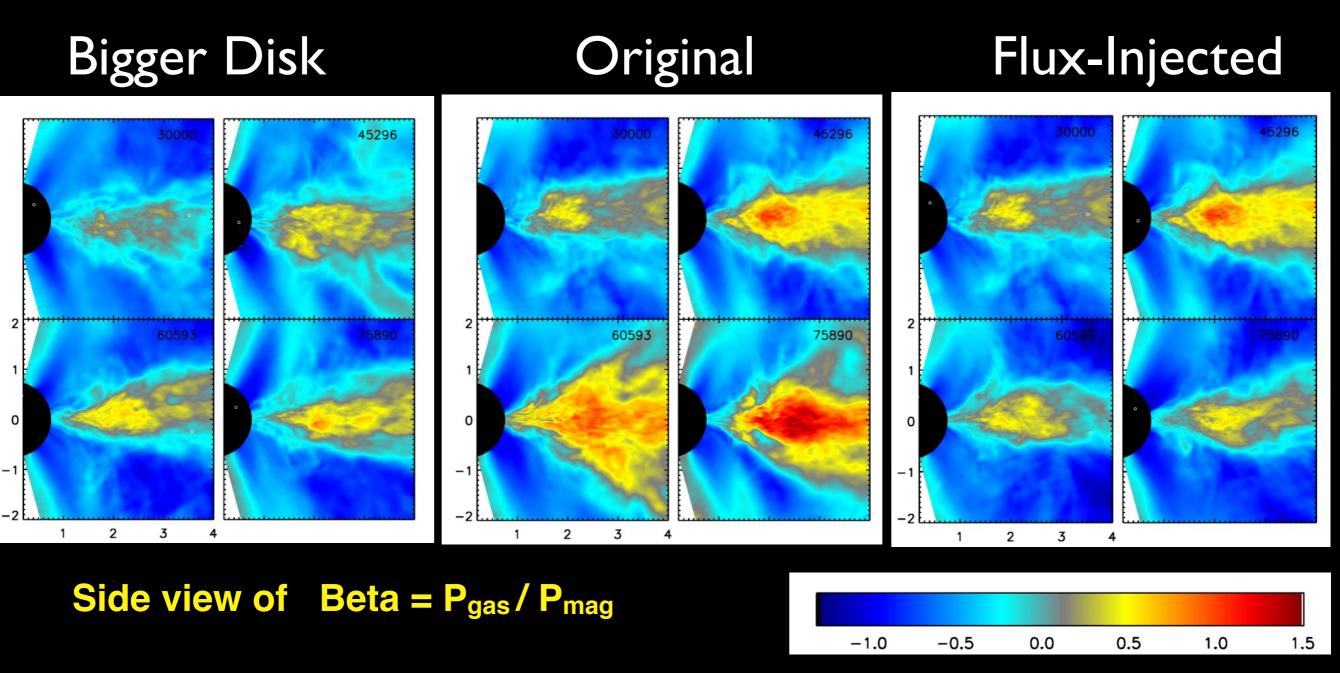
More magnetic flux led to:

•Much weaker m=1 mode, if any.

•Therefore, no means of developing coherent beat;

•Fluctuations arise just from turbulence;

Disk's State Noble++in-prep



Injected flux led to sustained magnetization throughout over-density region;
Larger reservoir of flux and mass seems to hinder development of the lump;

Summary & Conclusions

- •Our 3-d MHD simulations in the PN-regime develop a high-Q signal that is non-trivially connected to the binary's orbit;
- •We have unexpectedly seen how MHD dynamics can affect the quality of this signal and quash the development of the overdensity;
- •At a separation of 20M, with equal-mass binaries, differences in the metric at 1.5PN and 2.5PN orders are insignificant compared to stochastic error;
- •The PN-accuracy effects will likely be even smaller for smaller mass ratios;
- •Overdensity and the "beat signal" disappear somewhere 2 < q < 5;
- •No coherent signal of any kind seen at q=10;